Performance evaluation of cancelable biometrics

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Cancelable Biometrics

- Intentional **repeatable** distortion
  - Generates a similar signal each time for the same user

- Compromised scenario:
  - a new **distortion** creates a new biometrics

- Comparison scenario:
  - **different** distortions for different accounts

- **Backwards compatibility**
  - Representation is not changed.

© New Yorker Magazine (Charles Addams)

Cancelability requirements of the transform

1. The intrinsic strength (individuality) of the biometric should not be reduced after transformation. (Constraint on FAR)

$$D(x_1, x_2) > t \Rightarrow D(T(x_1), T(x_2)) > t$$

2. The transformation should be tolerant to intra-user variation (Constraint on FRR)

$$D(x_1, x_2) < t \Rightarrow D(T(x_1), T(x_2)) < t$$

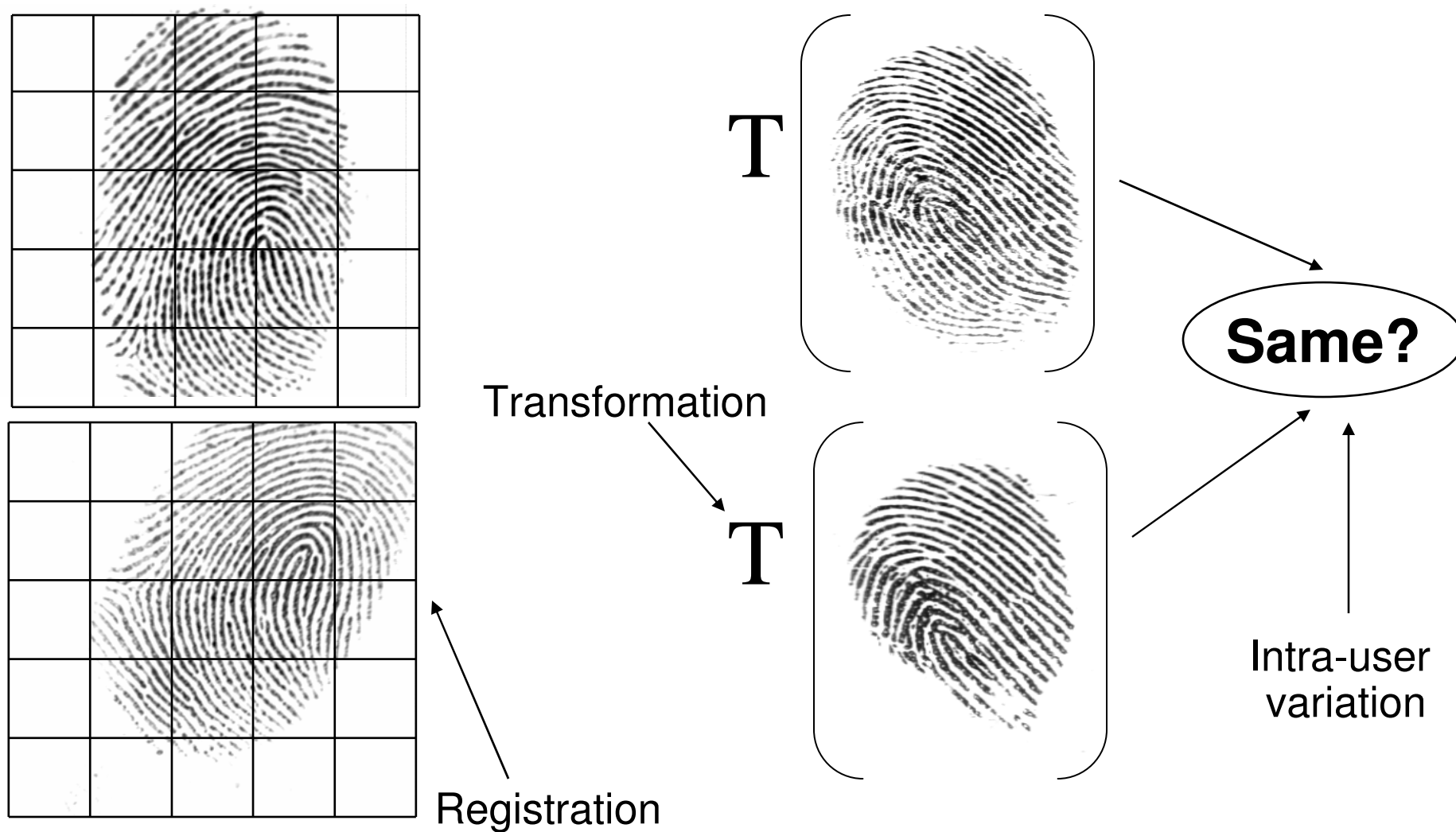3. The original should not match with the transform,

$$D(x, T(x)) > t$$

4. Different transforms of the same user should not match with each other
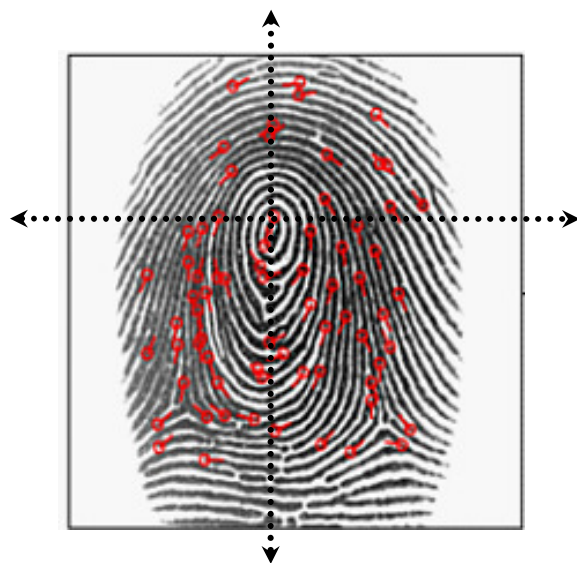
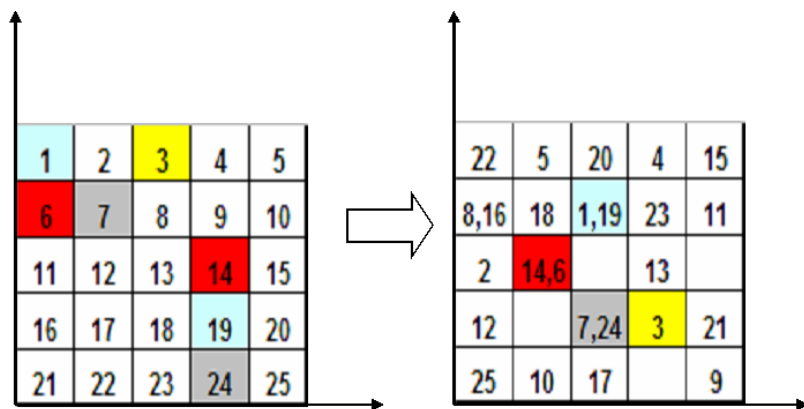$$D(T_1(x), T_2(x)) > t$$

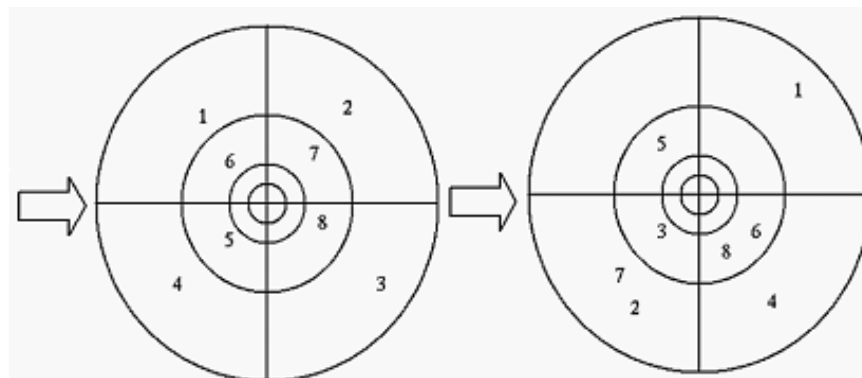# Registration based

Challenges

Transformation

Registration

T

T

Same?

Intra-user
variation

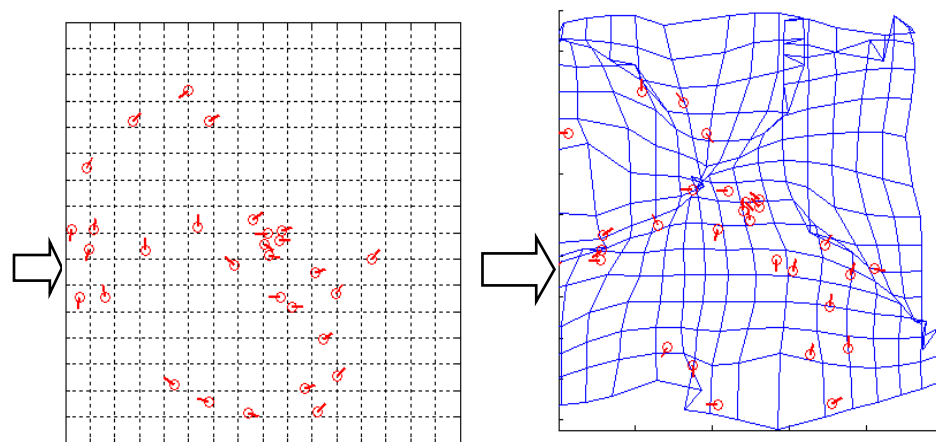# Feature Domain Transformation

Feature Extraction
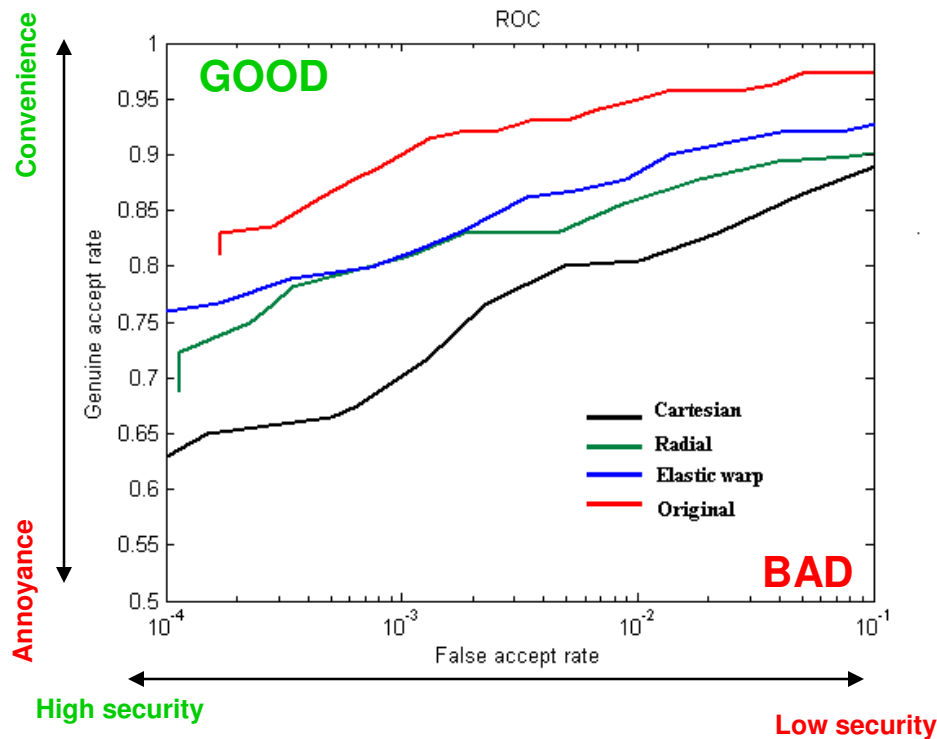

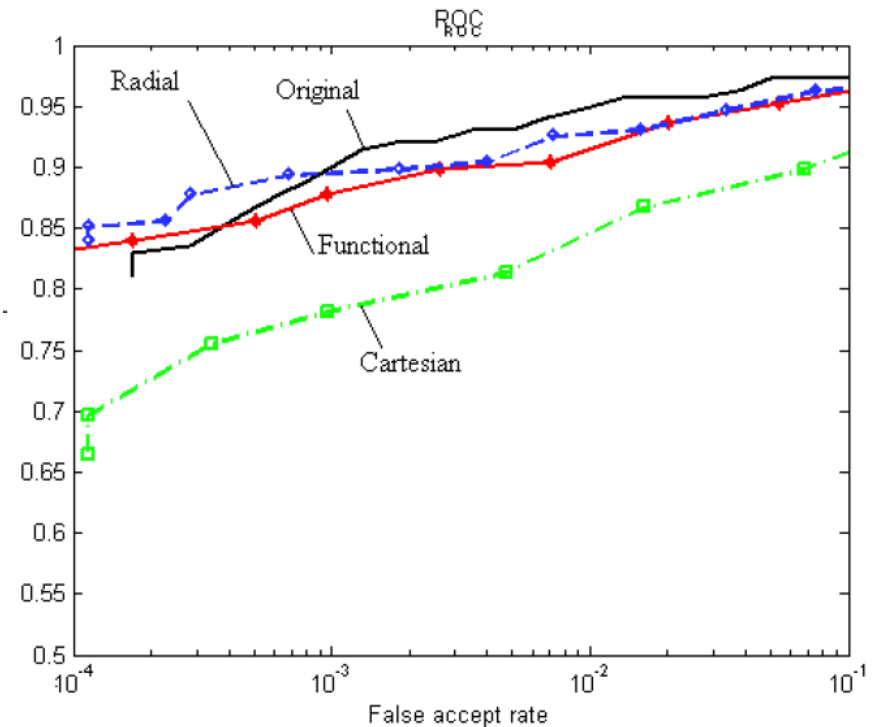Polar Transformation

Cartesian Transformation

Surface Folding Transformation

How does it affect accuracy?

Same transform for all users

Different transforms for different users

- Results reported in

    - "Cancelable biometrics: A case study in Fingerprints", ICPR 06

    - "Generating cancelable fingerprint templates",IEEE PAMI

Registration free

Enrollment

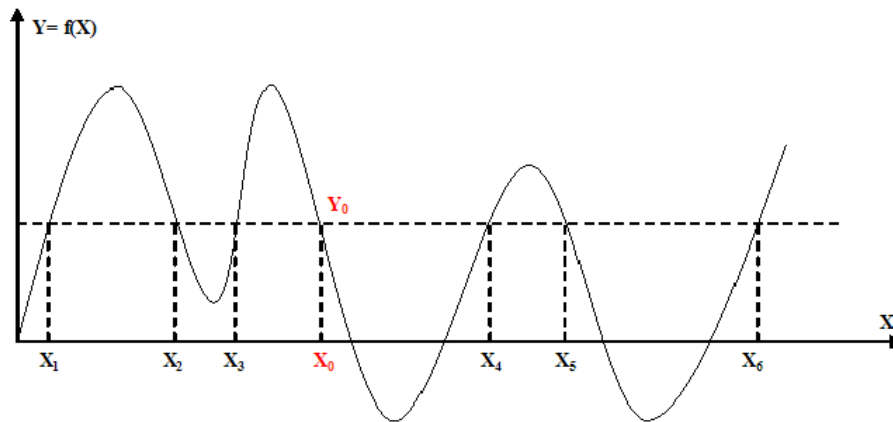| Print	Signature
1	[-0.361 ...-0.004]
2	[+0.233..+0.093]
1	[+0.298.. -0.629]
3	[-0.561..+0.238]
2	[+0.321..-0.563]
1	[-0.476..+0.672]
1	[+0.786..-0.054]
1	[-0.189..+0.034]

Verification

Cancelable methods

- Can we avoid storing the original patch signatures?
- Ways to transform/hide the feature vector
  - Encryption - representation too unstable for encryption
  - Polynomial transformation
  - Random projection- fits well with NDP distance

Polynomial transformation

Preferred: Ortho normal projections

Random Projections

Cancelability (2)

$$x$$

$$A^T x$$

$$B^T x$$

$$d(x, y) = 0.0914$$

$$y$$

$$A^T y$$

$$B^T y$$

- Each patch can be used to produce multiple transforms

→Cancelability (3)

$$x$$

$$B^T x$$

$$d(x, B^T y) = 1.0328$$

$$d(x, y) = 0.0914$$

$$d(x, y) = 0.0914$$

$$d(B^T x, y) = 1.0352$$

$$y$$

$$B^T y$$

- Original match among themselves
- Transforms match among themselves
- Transform does not match with original

Cancelability (4)

x

$d(x, y) = 0.0914$

y

0.9697

0.9256

$A^T x$

$d(x, y) = 0.0914$

$A^T y$

0.8433

0.8474

$B^T x$

$d(x, y) = 0.0914$

$B^T y$

- Score more than 0.5 is a mismatch

- Different Transforms don't match with each other

Empirical Results (1)

ROC

Original features

Cancelable features

- log weight
- simple count
- inv corr weight

(Y-axis: Genuine accept rate, X-axis: False accept rate)

- Patch based verification
  - Performance is less than geometry based matchers (62% GAR at 0.01% FAR)
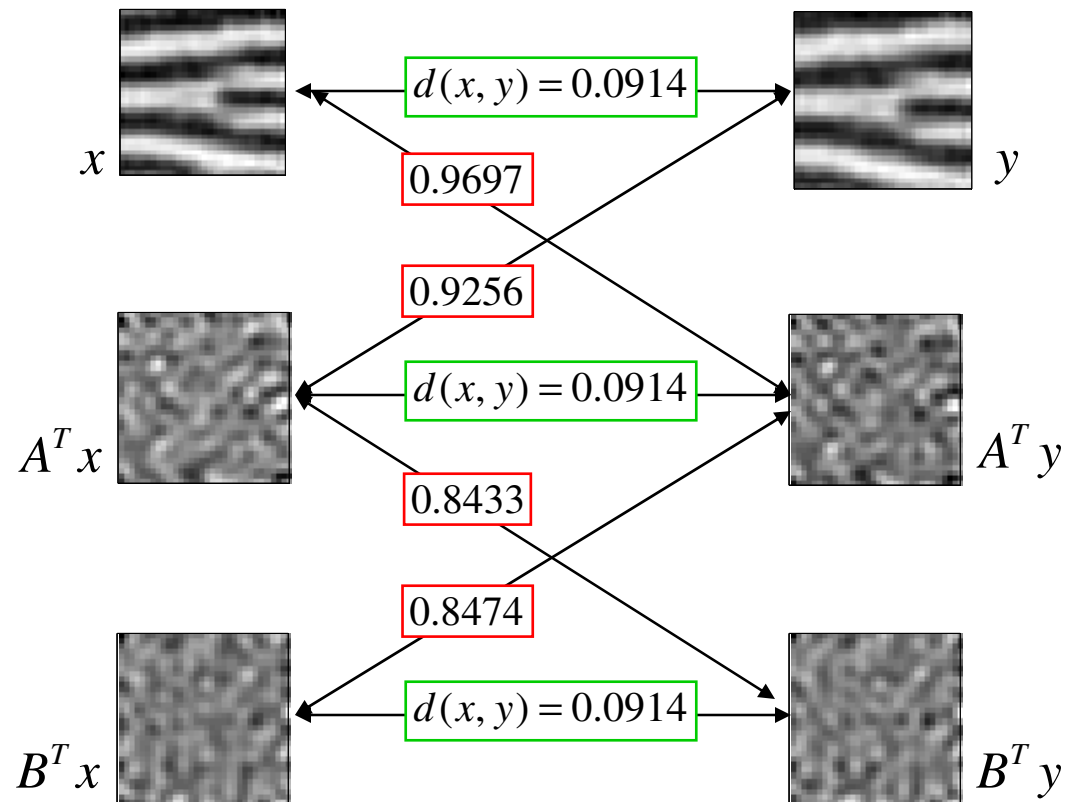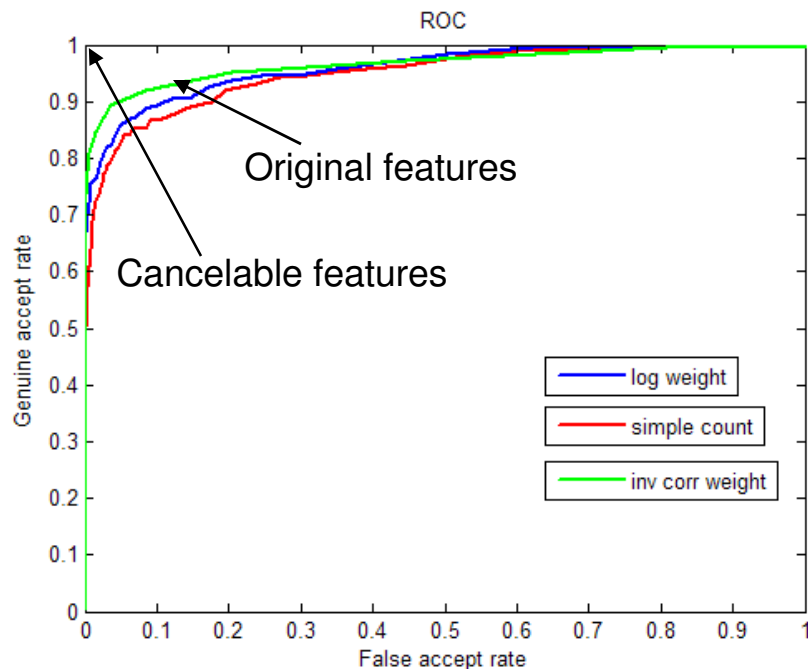- Cancelabilility
  - Complete separation (100% GAR,0% FAR) achieved by having separate transforms for separate individuals
- Diversity of key space
  - Complete separation (100% GAR,0% FAR) achieved for separate (188) transforms of the same individual.
- Non invertiblity
  - Complete separation (100% GAR,0% FAR) achieved for non-invertible construction as well

➢ **Perfect performance because uses entropy from key also**

➢ **If everyone uses the same key performance will not change because distances are preserved**

Increasing security: Two factor transformation

- The current construction is invertible

  If we have the projecting matrix B, and the transform $T(x) = B^T x$

  $x = BT(x) = BB^T x$, can be recovered

- Can we increase security?

- Two factor transformation
  - The projection matrix B is constructed using two orthonormal matrices U,V

    $B = UV^T$

    $UU^T = U^TU = VV^T = V^TV = I$

    $BB^T = (UV^T)VU^T = U(V^TV)U^T = I$

    U, V are obtained by performing SVD on a random matrix $R = USV^T$

    S is not recorded anywhere in the system.

    U, V do not leak information about each other

- U and V can be separately stored separately (e.g. split between user and application?)
- Symmetric key, public key comparison

More security: Non-invertibility

- We can make the construction non-invertible by introducing some non-linearity

Define,

$$T(x) = \begin{cases} 1 & \text{if } B^T x > 0, (B = UV^T) \\ 0 & \text{otherwise} \end{cases}$$

- Thus, even if U, V, T(x) are known, it is impossible to recover x from T(x)
- Advantages:
  - The construction is non-invertible
- Disadvantages
  - Brute force attack is easier. (More pre-images of $B^T x$ produce the same sign)

Score distributions for invertible and non-invertible construction

Invariant features

- Independent triangle features
  - The sides
- Dependent triangle feature
  - Height at largest side
- Fingerprint features
  - Minutiae angles with respect to triangle

$$
\left\{
\begin{array}{c}
a_1 \\
a_2 \\
a_3 \\
s_1 \\
. \\
. \\
. \\
.
\end{array}
\right\}
\quad \text{INDEX}
$$

Triangles can be enumerated

- Quantize
- Constrain side lengths

$(s_1 \ s_2 \ s_3)$

=

1
2
.
.
.

$\cdot 2^{(3 \times p)}$

Impossible and
possible triangles

$(s'_1 \ s'_2 \ s'_3)$

=

s_1, s_2, s_3 quantized using p bits

0
1
2
3
4
...
...
...
$2^{(3 \times p)}$

Enrolment

A₁	A₂	A₃	S₁	S₂	S₃	H
001	010	000	1010	1100	1011	010

A₁	A₂	A₃	S₁	S₂	S₃	H
001	010	000	1000	1010	1110	010

Index	#
0	0
1	1
2	0
…	2
…	3
:	:
…	1
…	0
2^k	1

547B97DE172E6DB99F2B…

C427AE2AB58855F0F350…

906591E9352543748BAF…

F6EEDF5D3A594F2927F…

Minutia Triplets   **Triangle Indexing**   **Triangle Hashing**   **Binarization**   **Mutation**   **Randomization**   **Encryption**

Verification

Index	#
0	0
1	1
2	0
...	1
...	2
:	:
...	1
...	0
2^k	1

A₁	A₂	A₃	S₁	S₂	S₃	H
001	010	000	1010	1100	1011	010

A₁	A₂	A₃	S₁	S₂	S₃	H
001	010	000	1000	1010	1110	010

547B97DE172E6DB99F2B…

C427AE2AB58855F0F350…

906591E9352543748BAF…

F6EEDF5D3A594F2927F…

Enrolled Token + Template

Steps in building a cancelable iris system
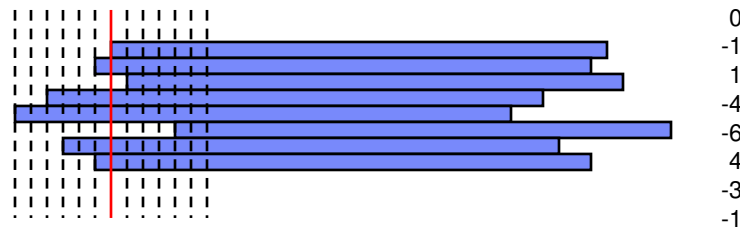
- **Segmentation**

- **Feature extraction**

- **Cancelable techniques** ♦

Method 1: GRAY COMBO

- **template based row shift and combination**

  – Step 1: for each row shift circularly:

  – Step 2: combine two rows together to get a new one:

    • Intensity +, -
    • One row can be used more than once
    • Easy methods: odd+even, fold like a mirror
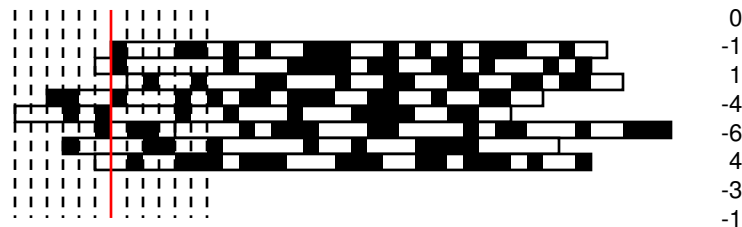
Combine rows 1, 3 to the new 1st row
Combine rows 2, 8 to the new 2nd row
Combine rows 4, 6 to the new 3rd row
Combine rows 5, 7 to the new 4th row

Method 2: BIN COMBO

- **code based row shift and combination**

  – Step 1: for each row shift circularly:
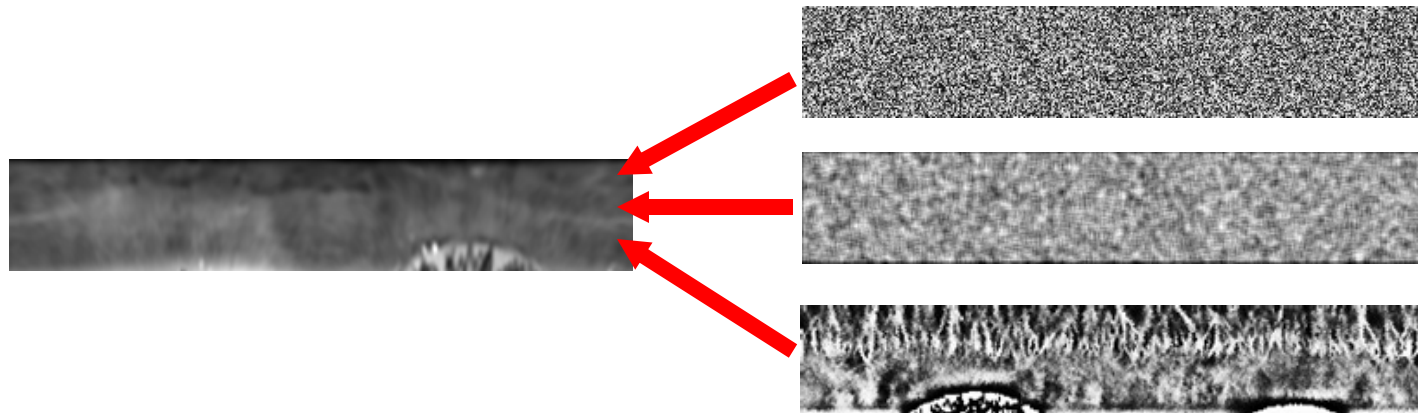


```
0
-1
1
-4
-6
4
-3
-1
```

  – Step 2: combine two rows together to get a new one:

  - Binary XOR, or NXOR
  - One row can be used more than once
  - Easy methods: odd+even, fold like a mirror

  Combine rows 1, 3 to the new 1st row
  Combine rows 2, 8 to the new 2nd row
  Combine rows 4, 6 to the new 3rd row
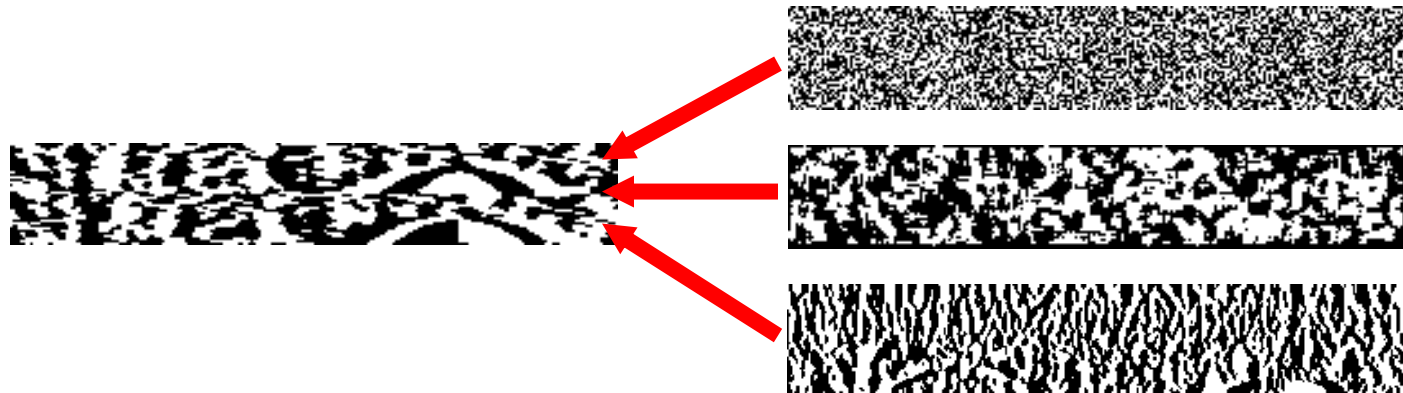 Combine rows 5, 7 to the new 4th row

Method 3: GRAY SALT

- **template based salty noise**

  - Just plus a unique pattern --- random noise, random pattern or random synthetic iris texture

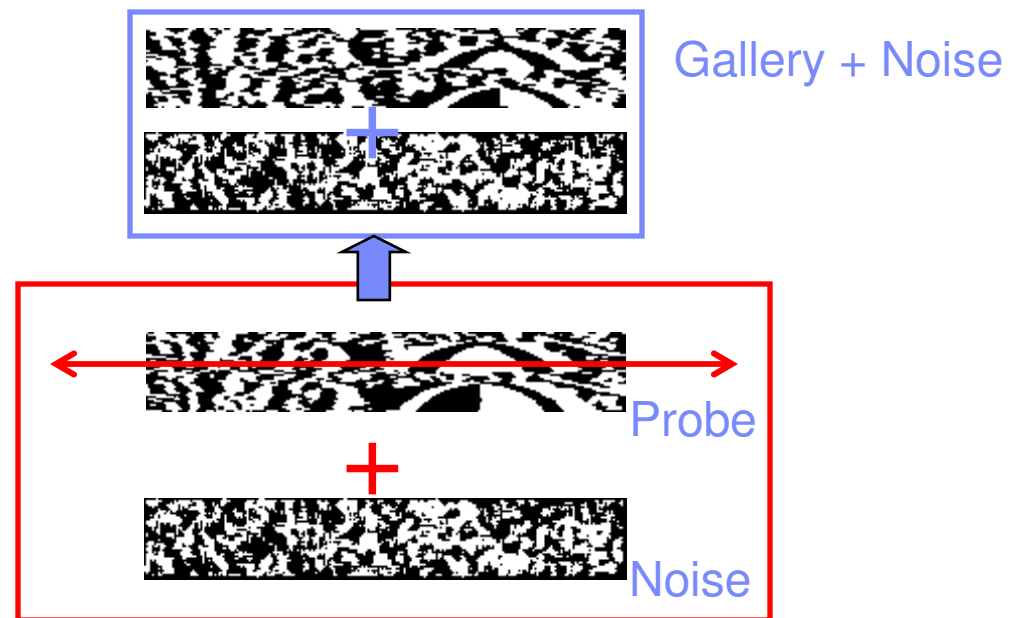 - Generate new code according to the new texture

Method 4: BIN SALT

- **code based salty noise**
  - Just plus a unique binary pattern --- random noise , random pattern or random synthetic iris code

Matcher

- **Assume head tilt is not heavy**

- **Matching algorithm need to be modified:**

Gallery + Noise

Probe

Noise

Key performance metrics

- **Accuracy**

  – How do the error rates change?

    • Same transform vs. different transform

- **Transform space**

  – How many transforms are possible?

  – Brute force non-invertible strength of the transform

- **Backward compatibility**

- **Impact on speed**

Thank you